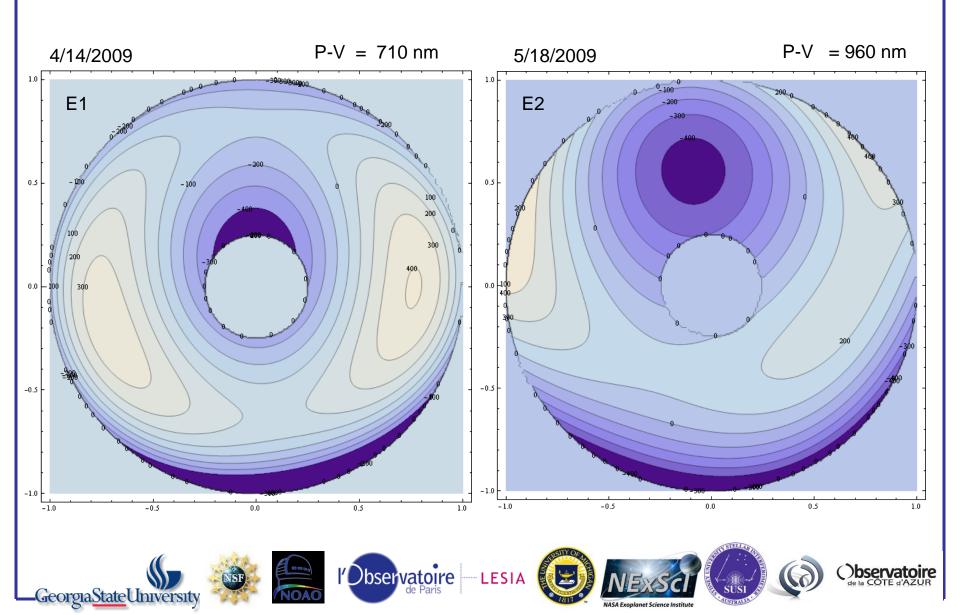
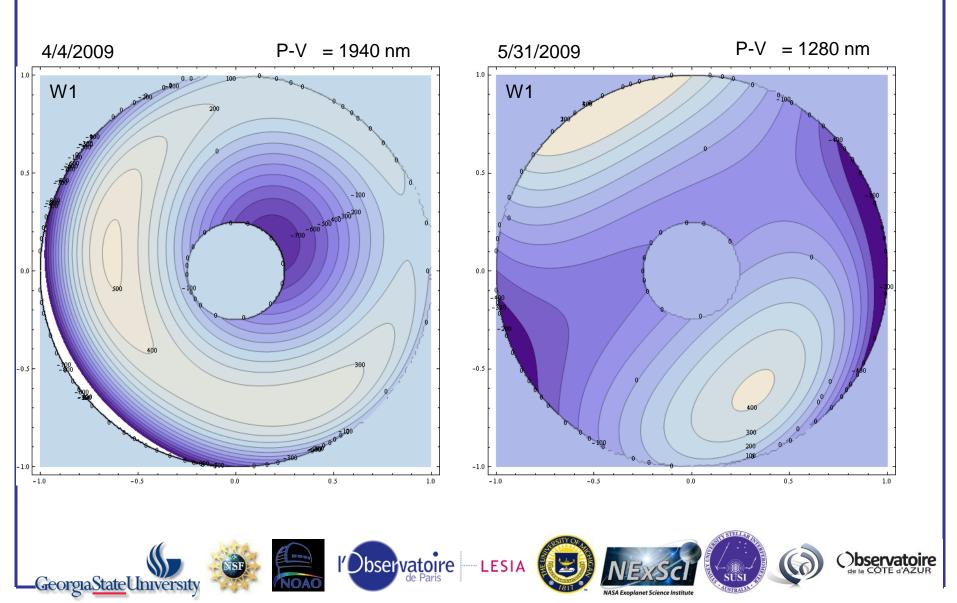


a precise telescope alignment procedure was applied to E1, E2 and W1 in Spring 2009



Wavefront Contour Plots













Zernike [nm]	Name	E1	E2	W1-A	W1-B
4	focus	346	364	-842	-661
5	astigmatism	30	29	-96	-152
6	astigmatism	134	146	-31	-145
7	coma	93	154	136	70
8	coma	-6	-41	224	-81
9	trefoil	-12	45	13	22
10	trefoil	24	-48	-22	21
11	spherical	-152	-28	-191	-44





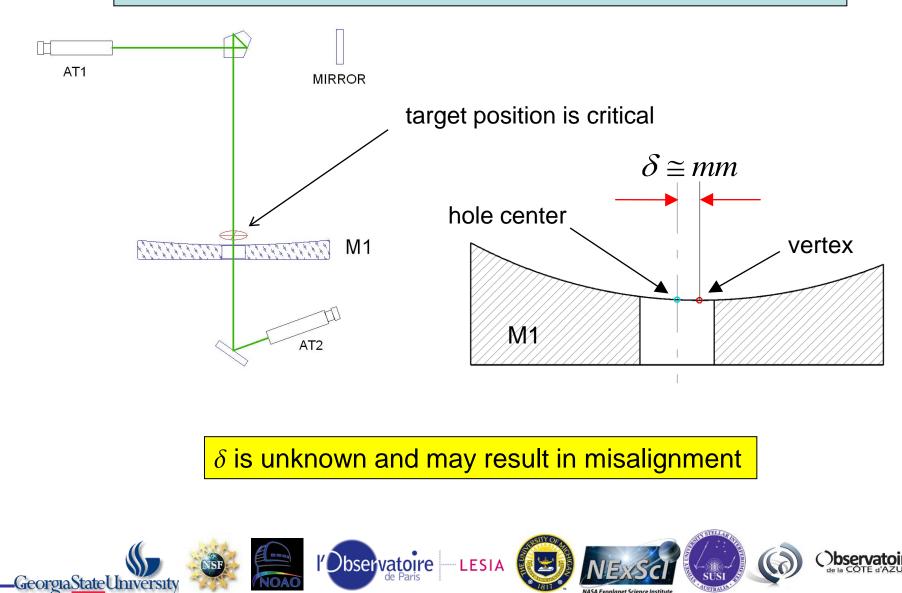






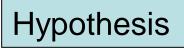


The new alignment procedure is precise, but not necessarily accurate

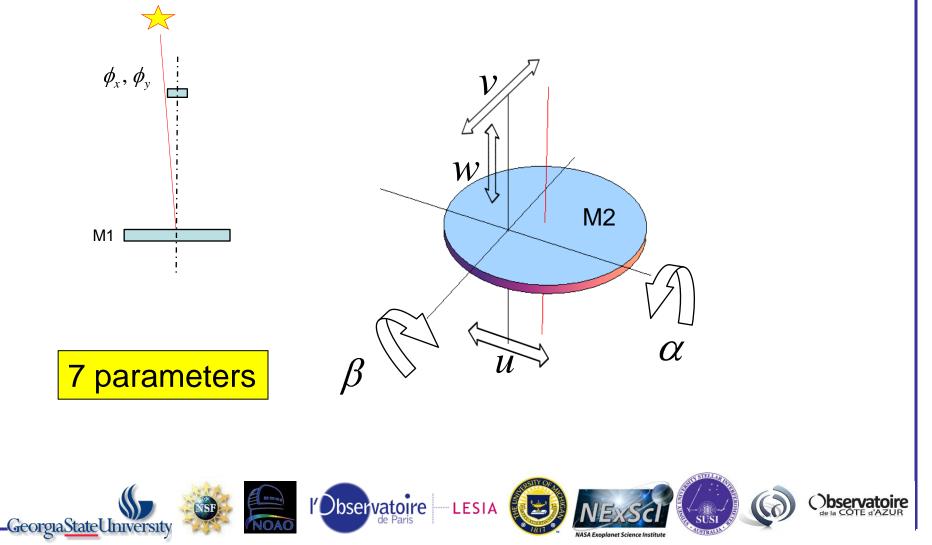








M2 is misaligned and star is off-axis





Action

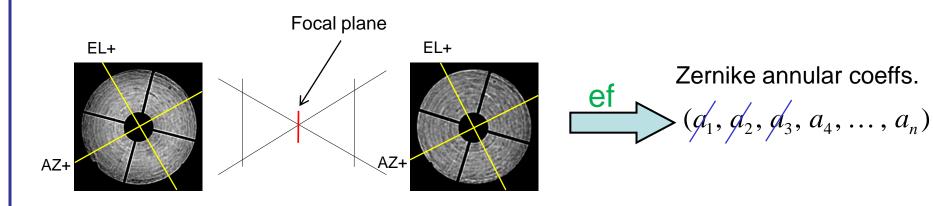
slow beam quality evaluation due to seeing and 7 parameters

Random search for the best position/orientation of M2 is not feasible





ef expands the wavefront into annular Zernike polynomials

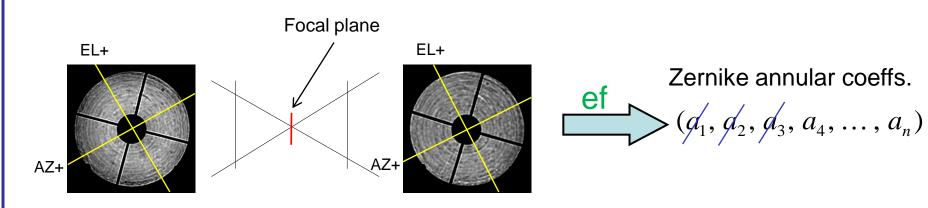


 $W(\boldsymbol{x}, \boldsymbol{\beta}, \boldsymbol{u}, \boldsymbol{v}, \boldsymbol{w}, \boldsymbol{\phi}_{\boldsymbol{x}}, \boldsymbol{\phi}_{\boldsymbol{y}}) \cong \sum_{i} a_{i} Z_{i}(\boldsymbol{\rho}, \boldsymbol{\theta}, \boldsymbol{\varepsilon})$





ef expands the wavefront into annular Zernike polynomials



Zernike annular coeffs.

 $W(\mathbf{v}, \beta, u, v, w, \phi_x, \phi_y) \cong \sum_i a_i Z_i(\rho, \theta, \varepsilon)$

 $a_i \xrightarrow{?} (\alpha, \beta, u, v, w, \phi_x, \phi_y)$





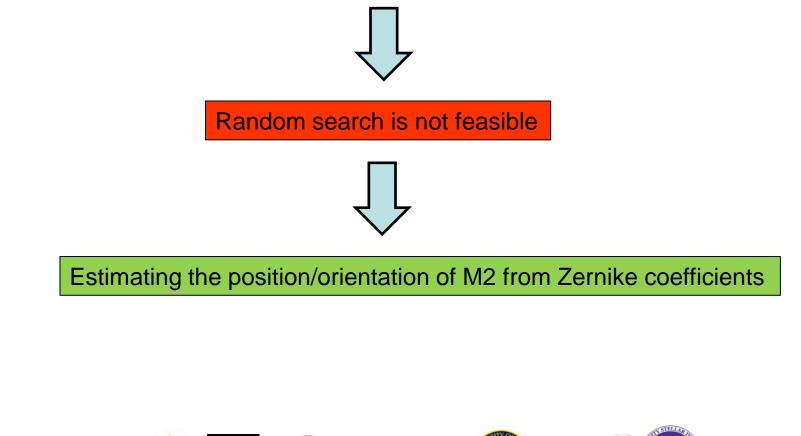




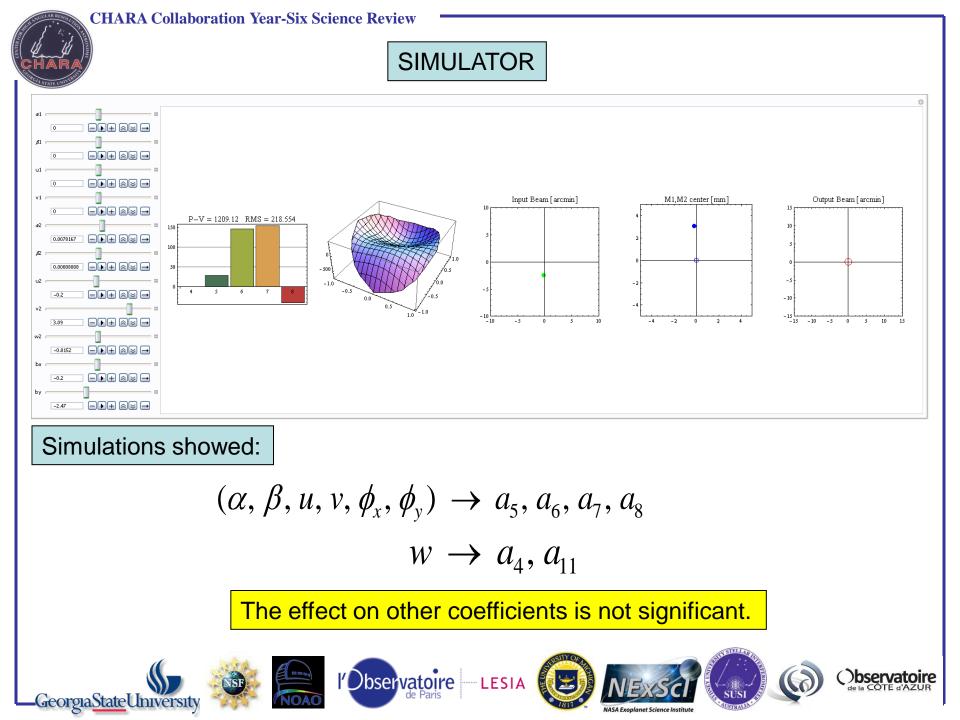


Action

slow beam quality evaluation because of seeing and 7 parameters







GRID SEARCH

Algorithm:

• given a set of $\vec{a} = (a_5, a_6, a_7, a_8, a_{11})$ from measurements

•generate grid

- compute wavefront W in each grid points and expand it to annular Zernike polynomials $\vec{b} = (b_5, b_6, b_7, b_8, b_{11})$
- compute the weighted average of grid coordinates of those points for which $\Delta = (\vec{a} \vec{b})(\vec{a} \vec{b})$ is less than a certain limit

$$\implies (\alpha', \beta', u', v', w', \phi'_x, \phi'_y)$$





Parameter Space:

$$-5 \leq u[mm] \leq 5, \Delta u = 0.2mm,$$

$$-5 \leq v[mm] \leq 5, \Delta v = 0.2mm,$$

$$-3 \leq \phi_x[arc \min] \leq 3, \Delta \phi_x = 0.2arc \min,$$

$$-3 \leq \phi_y[arc \min] \leq 3, \Delta \phi_y = 0.2arc \min,$$

$$-40 \le \alpha [arc \min] \le 40, \Delta \alpha = 1 arc \min,$$

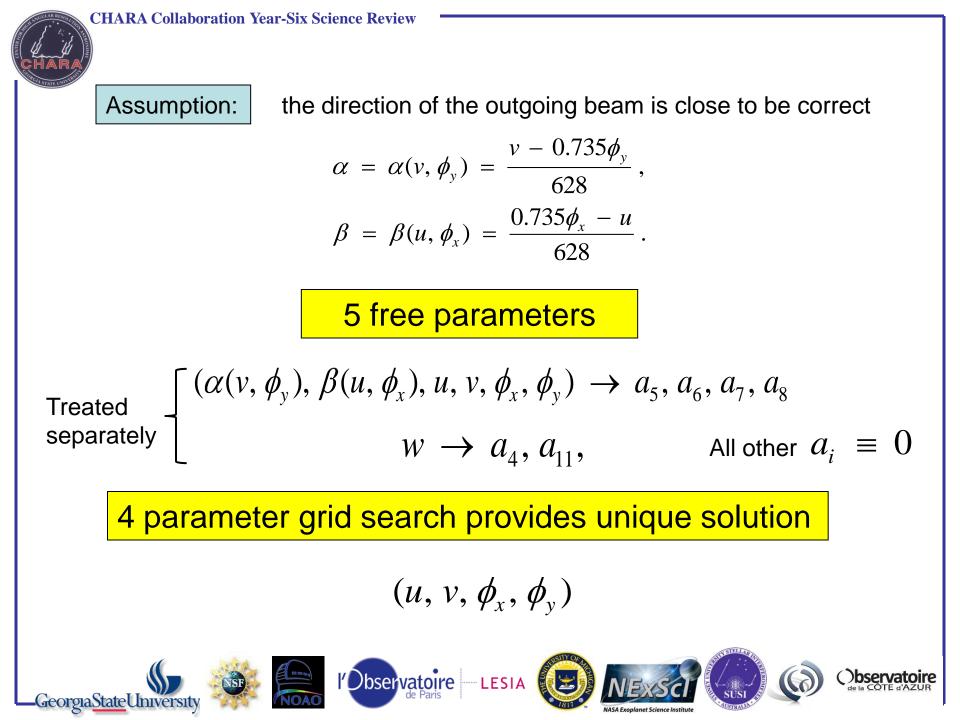
$$-40 \leq \beta [arc \min] \leq 40, \Delta \beta = 1 arc \min$$
.

Brute force is not "brute" enough

of grid points: $51 \times 51 \times 31 \times 31 \times 81 \times 81 = 16,399,619,721$

Simplification is needed!







Simplified Algorithm

given $\vec{a} = (a_5, a_6, a_7, a_8)$ from ef

grid points ($\alpha(v_j, \phi_{y,l}), \beta(u_i, \phi_{x,k}), u_i, v_j, \phi_{x,k}, \phi_{y,l}$)

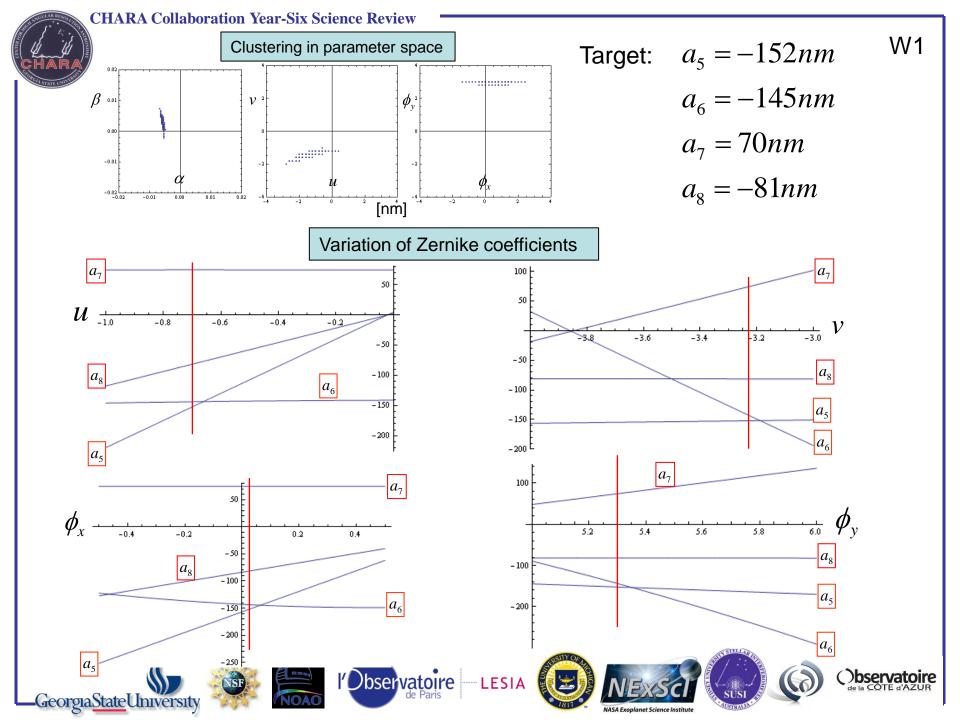
W in each grid point expanded into annular Zernike polynomials $\vec{b} = (b_5, b_6, b_7, b_8)$ Compute $\Delta = (\vec{a} - \vec{b})(\vec{a} - \vec{b})$ for each grid point Select the grid point where Δ is minimum

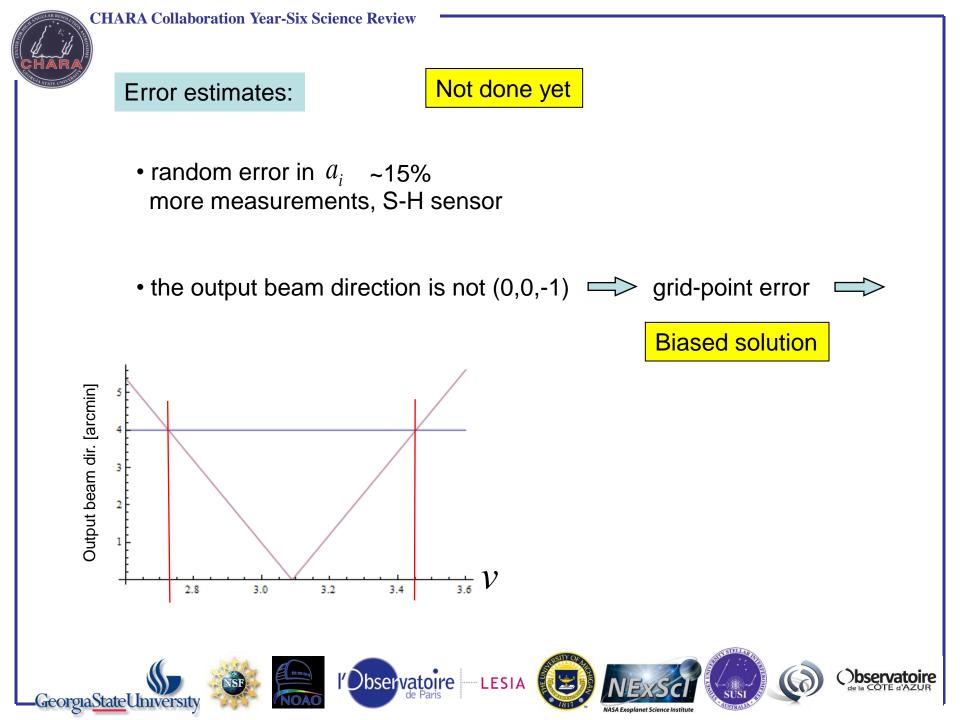
repeat it on finer grid around minimum

Adjust w to match a_{11}

Found a unique solution!











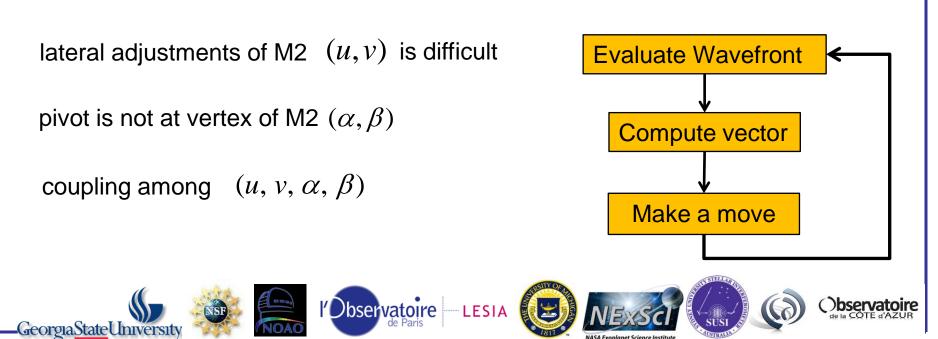
	α [arcmin]	$m{eta}$ [arcmin]	u [mm]	v [mm]	w [mm]	<i>ø</i>x [arcmin]	<i>φ</i>y [arcmin]
E1	36	8	-0.7	3.7	0.43	0.95	-4.1
E2	27±2	0.3±2	-0.2±0.4	3.1±0.4	0.065	-0.2±0.5	-2.5±0.5
W1	39	4	-0.7	-3.2	0.21	0.03	5.3

provides a way to estimate

$$\delta$$
 —

More accurate placement of M1 target

Complications:





Hardware Updates

- Ovenized crystal oscillator in the clock
- Three domes have been retrofitted with the new dome wheels
- Differential Image Motion Monitor (DIMM) on S1
- New M3 mount (W1 & W2)
- Coude-box cover prototype
- AZ limit switch mounting
- Particulate Monitor on S2
- New alignment telescope mount
- Serial bus on the telescope
- RS-485 interface for the finder and acq. cameras
- RS-485 interface for temperature/humidity sensor













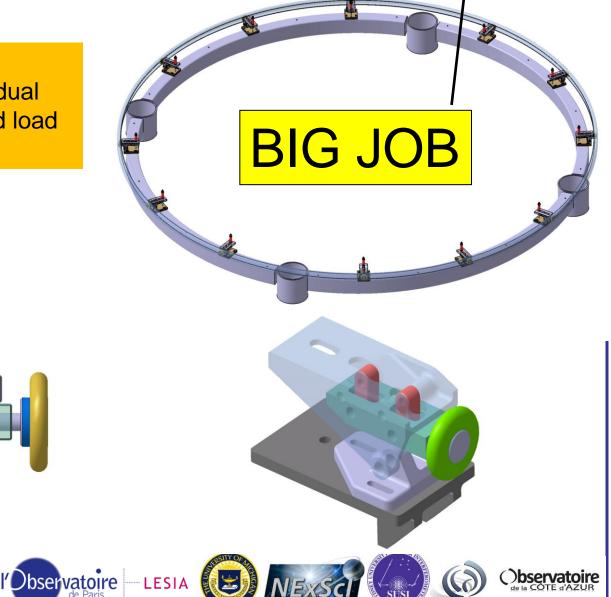


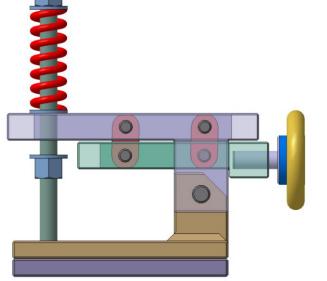


Dome Rollers

three domes done, three to go (Golden, Webster)

"floating" dome support equalizes load on the individual wheels, minimizes wear and load on the drive motor, quieter





Georgia<u>State</u>University

