

# Can CHARA Image Cool Starspot?

A Case Study of Lambda Andromedae

Rob Parks
Georgia State University
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## Committee and Collaborators

Advisor

Dr. Russel White

Committee

Dr. Douglas Gies

Dr. Gary Hastings

Dr. Hal McAlister

Dr. John Monnier (UM)

Dr. Peter Plavchan (NExScI)

Dr. James Sowell (GaTech)

Collaborators

Dr. Fabien Baron (UM)

Dr. Greg Henry (TSU)

Dr. Gail Schaefer (CHARA/GSU)

Special Thanks

Xiao Che (UM)

Dr. Ming Zhao (JPL)

The CHARA team















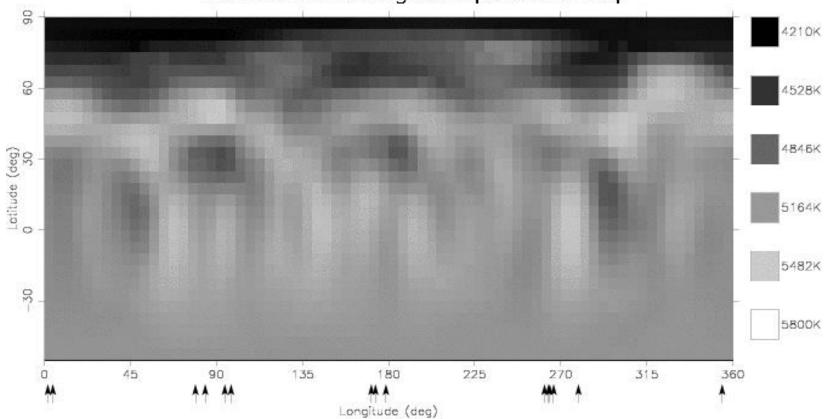






# Goals<sub>Strassmeier</sub> et al. 2003

HD 171488 average temperature map















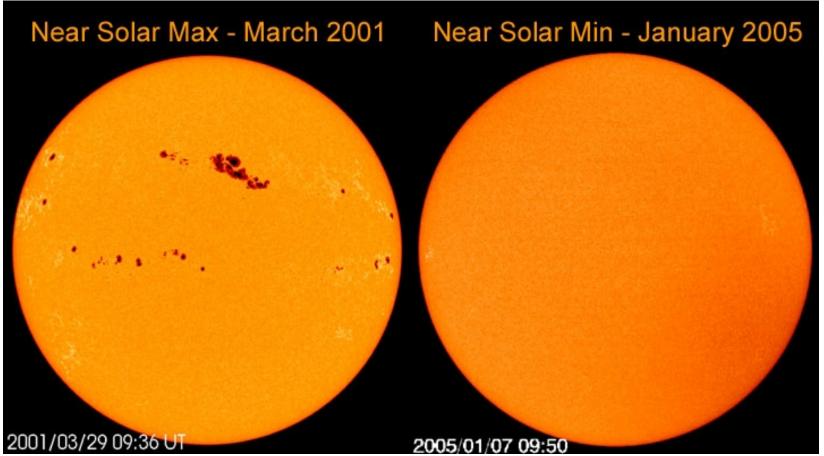








## Goals













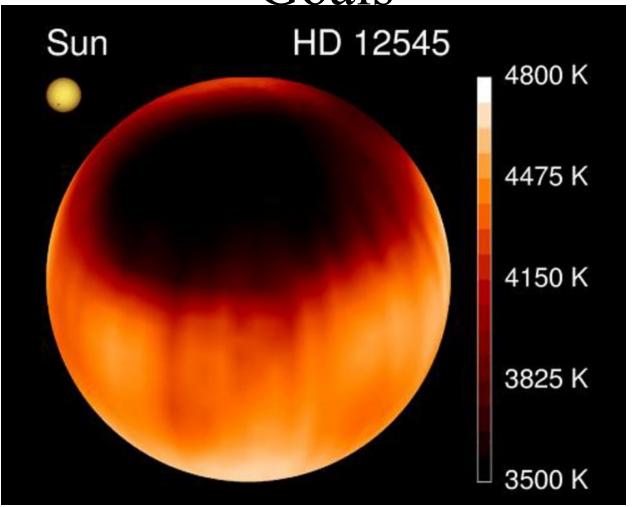
































## Goals

- Directly image cool starspots
- Precisely measure cool starspot properties
- Observe stellar rotation via cool starspot motion
- Develop techniques for imaging other active stars → compare with Doppler maps























#### "Lambdy Andy"

G8 III

SB1

 $\pi = 38.74 \pm 0.68$  mas

 $D \sim 25 pc$ 

vsini = 6.5 km/s

 $P_{phot} = 54.33 \text{ days}$ 

H mag = 1.501

 $\Delta V \text{ mag} = 0.22$ 

 $\theta \sim 2.75 \text{ mas}$ 





















#### Henry et al. 1995

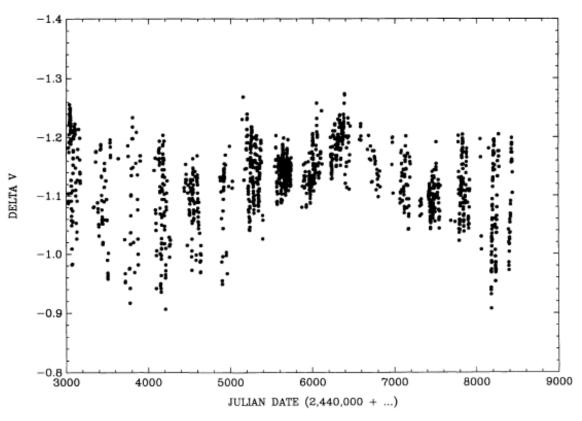


Fig. 2.—1976–1991 V light curve of  $\lambda$  And from the data sources listed in Table 1. Each point is the mean of (usually) three differential observations in the sense of  $\lambda$  And minus  $\Psi$  And. While the 54 day rotation period is difficult to see at this scale, the changing amplitude of the spot wave and the long-term variations in mean magnitude are readily apparent.











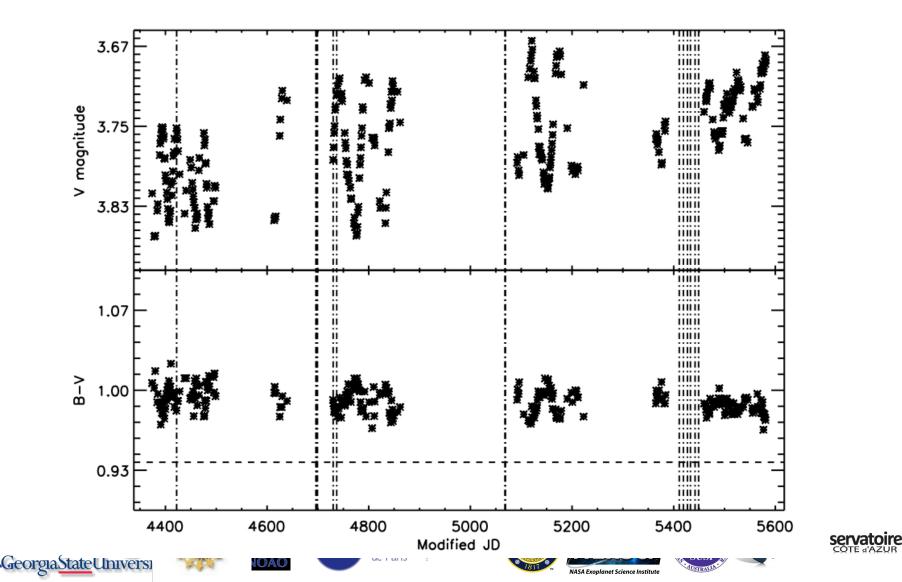








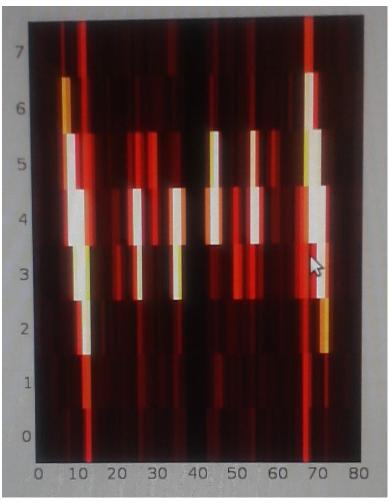
## Lam And Light Curve 2007-2011





## **CHARA Observations**

- MIRC H band
- 21 epochs
  - -11/17/07 to 09/10/11
- Various UV coverage
- Mainly use "Schaefer" configuration











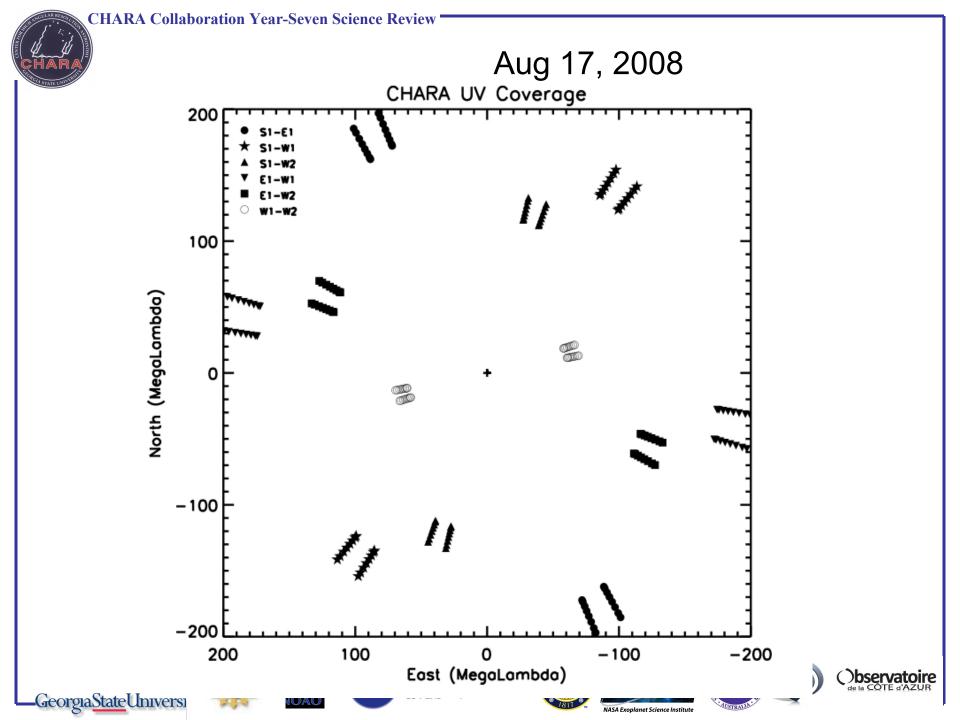


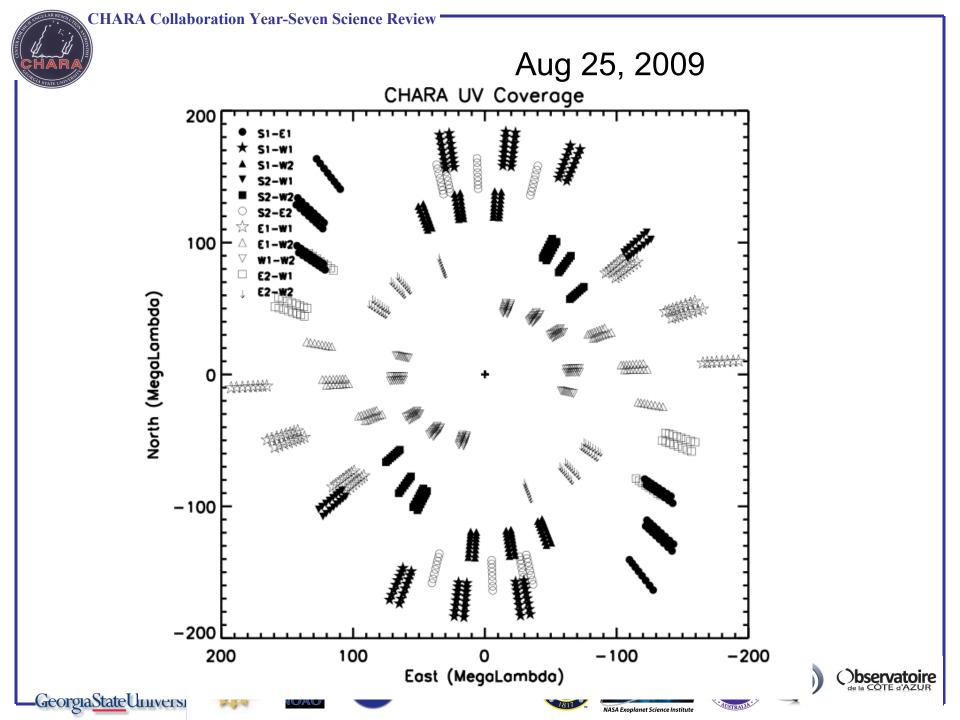






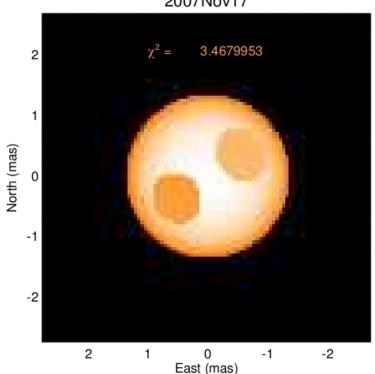






# Parametric Model & Reconstructions

2007Nov17



#### Model

- Power-law limb darkening
- 2 stellar parameters
  - $\theta$ ,  $\alpha$
- N spot parameters
  - (φ, b, l, f) per spot
- Downhill symplex
- MACIM & BSMEM













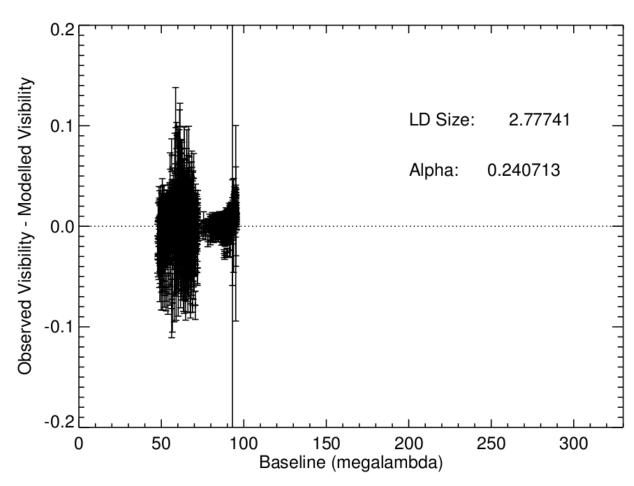








# First Step....













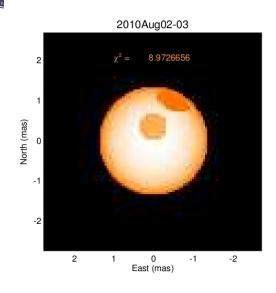


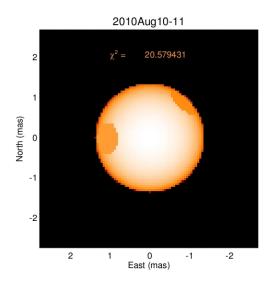


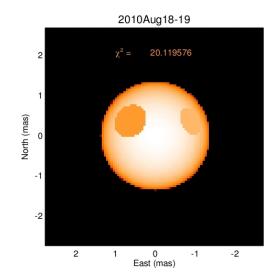


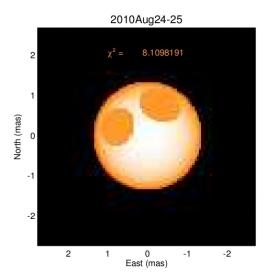


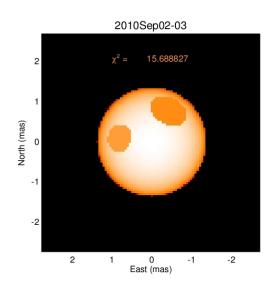
# Consistency!

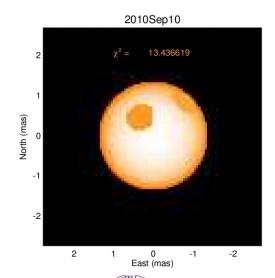
























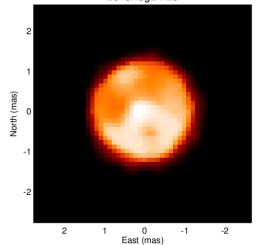


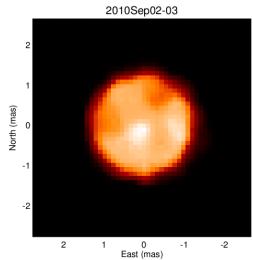


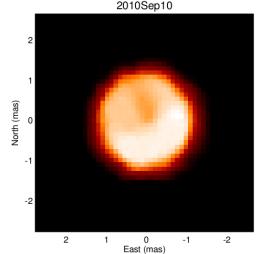




CHARA Collaboration Year-Seven Science Review Consistency! 2010Aug10-11 2010Aug02-03 2010Aug18-19 North (mas) North (mas) North (mas) -2 2 -2 2 -2 -2 East (mas) East (mas) East (mas) 2010Sep02-03 2010Aug24-25 2010Sep10 North (mas) North (mas) North (mas)





















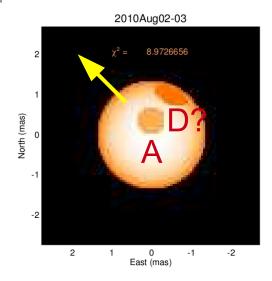


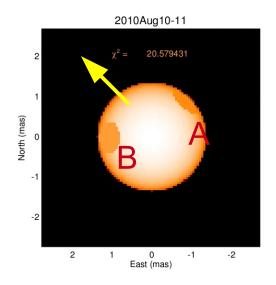


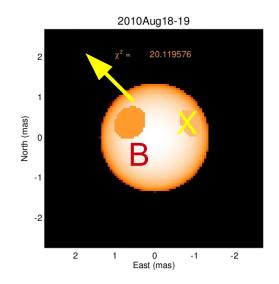


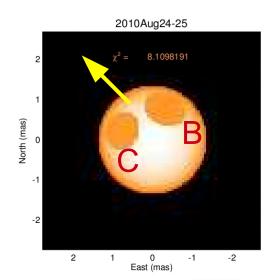


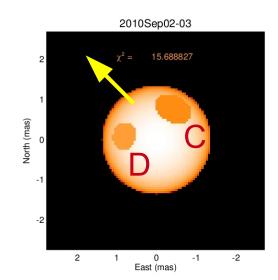
## Rotation?

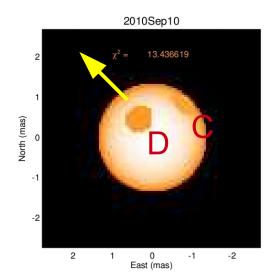






















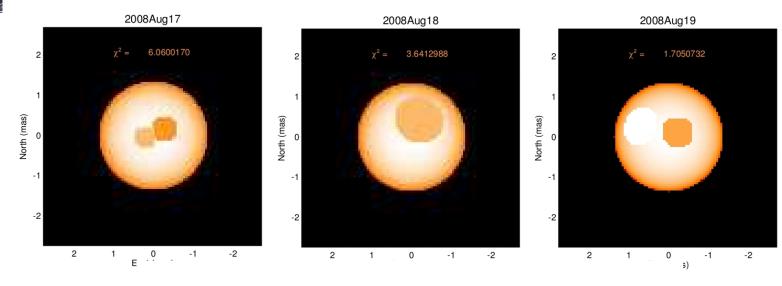


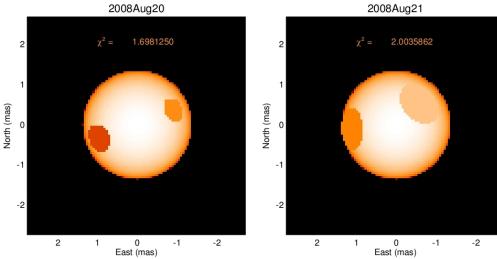




















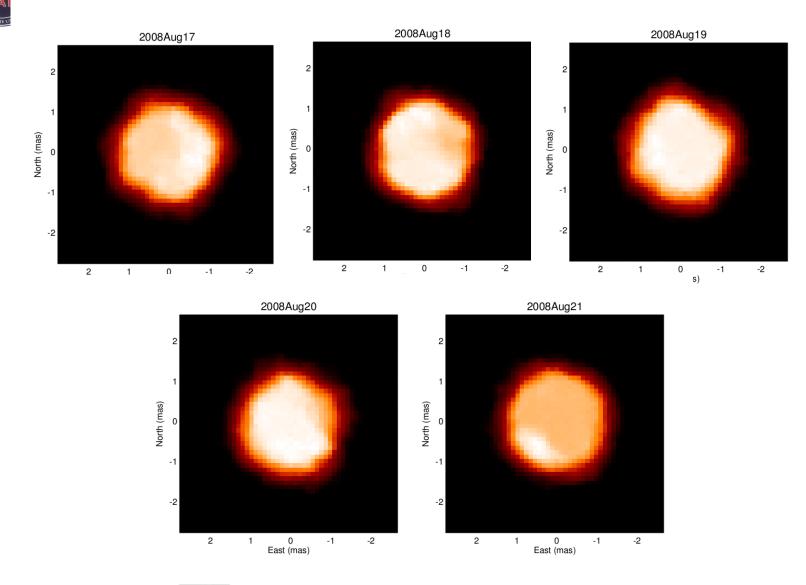






























## Can We Believe These Results?

- Monte Carlo simulations
- Size Recovery 2000
  - Only fit to 1<sup>st</sup> visibility
     lobe
- Spot Recovery 500
  - Fixed  $\theta \& \alpha$
- One-spot model

| Stellar Size    | 1 – 5 mas<br>2.75 mas |
|-----------------|-----------------------|
| α               | 0.24                  |
| Covering Factor | 10% - 60%             |
| Latitude        | -90° - +90°           |
| Longitude       | -90° - +90°           |
| Light Ratio     | 0.2 - 0.8             |
| Δ Mag Range     | ~0.0 - 0.25           |









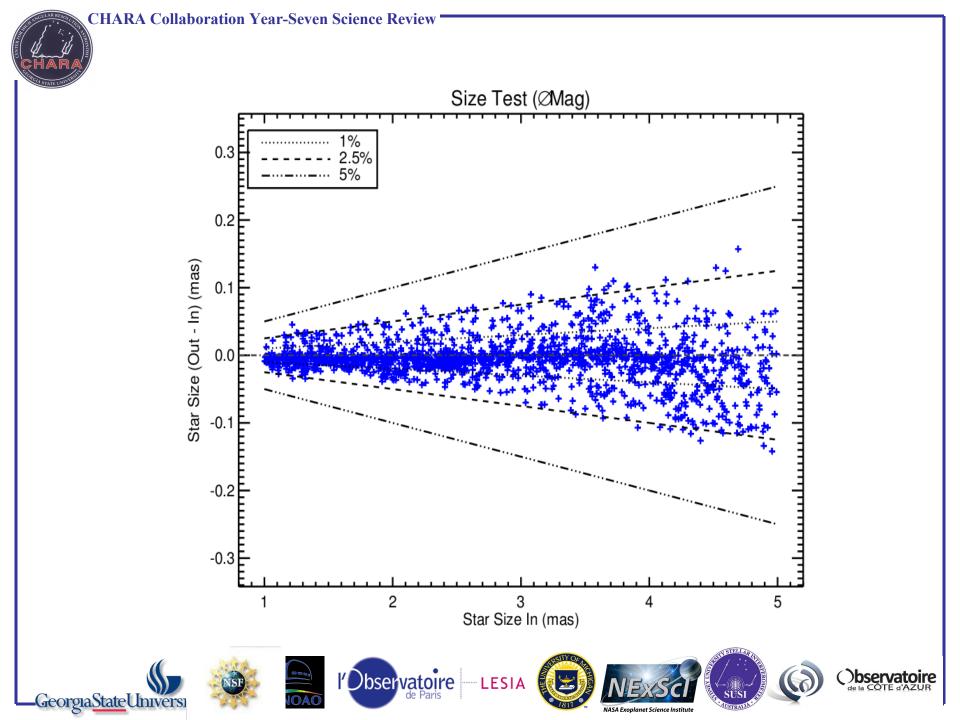


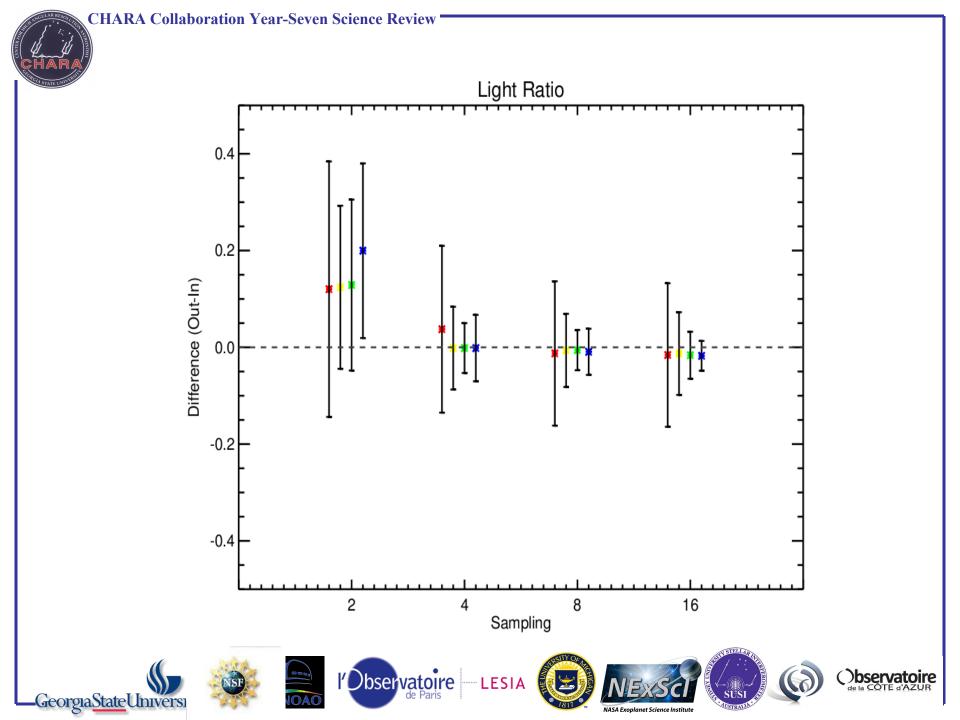










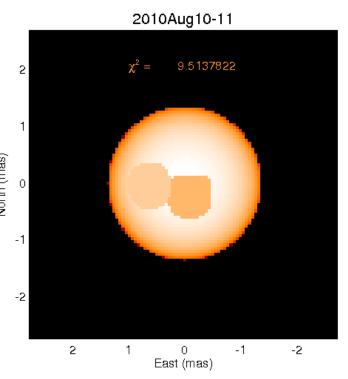




Four averaging methods

$$\chi_r^2 = \frac{\left(\chi_v^2 + \chi_c^2 + \chi_t^2\right)}{3}$$

#### Straight Average



















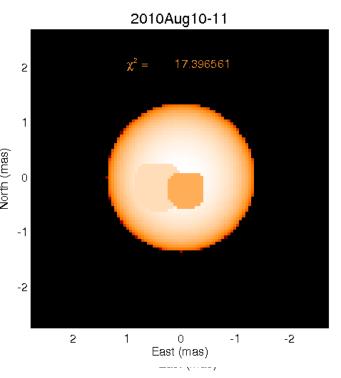




Four averaging methods

$$\chi_r^2 = \frac{\left( (\chi_v^2)^2 + (\chi_c^2)^2 + (\chi_t^2)^2 \right)_{\text{for } 0}}{(\chi_v^2 + \chi_c^2 + \chi_t^2)} e^{\frac{1}{2}}$$

#### "Squared" Average



















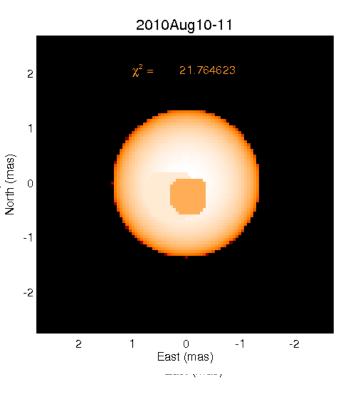




Four averaging methods

$$\chi_r^2 = \frac{\left( (\chi_v^2)^2 + (2\chi_c^2)^2 + (\chi_t^2)^2 \right)_{\text{opt}}^{\frac{2}{9}} \left( \chi_v^2 + 4\chi_c^2 + \chi_t^2 \right)}{(\chi_v^2 + 4\chi_c^2 + \chi_t^2)}$$

"Twice-cp" average



















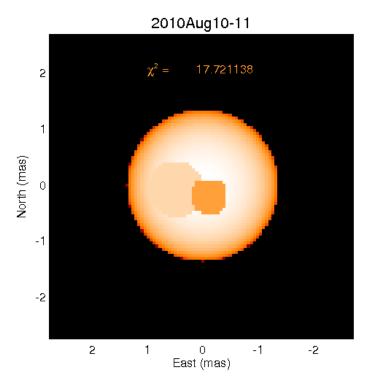




Four averaging methods

$$\chi_r^2 = \frac{\left( (\chi_v^2)^2 + (\chi_c^2)^2 + (\frac{2}{3}\chi_t^2)^2 \right)}{(\chi_v^2 + \chi_c^2 + (\frac{4}{9})\chi_t^2)}$$

"2/3 T3" Average























## Answer:

# Yes...Probably

